

On the predictability of the North Atl ocean state

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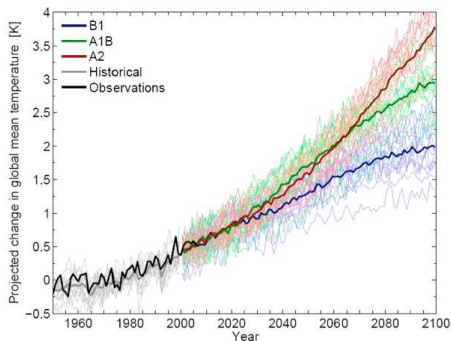
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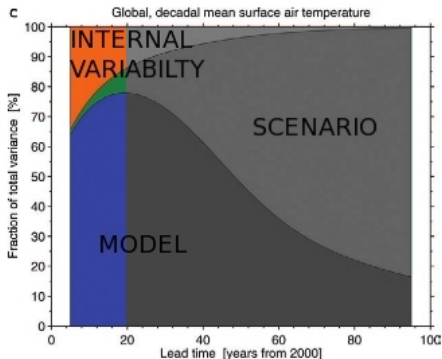
Ocean Scale Interactions
A Tribute to Bach-Lien Hua
June 2014



Which climate for the next decades?



IPCC (AR3, 2007)



Hawkins and Sutton (2009)

⇒ **Study of the models sensitivity
(error bar due to initial condition)**

Societal demand for "near-term" climate prediction

▶ Response:

- ▶ Decadal projections are included in CMIP5 (IPCC, AR5)

▶ Difficulty:

- ▶ Sensitivity to initial conditions or **error growth** due to the chaotic behavior of the climate (T. Palmer: www2.physics.ox.ac.uk)

▶ Current issues:

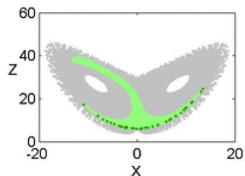
- ▶ ~~The state of the climate in 2035?~~
- ▶ Is it possible to make predictions? ⇒ [predictability study](#)

⇒ **Can we quantify uncertainties?**

▶ Current "shortcoming":

- ▶ Role of the Ocean (vs Atmosphere)?

⇒ **Impact Oceanic initial error on the North Atl. Climate?**



Ensemble runs and General Stability Analysis

To test the importance of initial condition two methods exist:

- ▶ Pragmatic: Ensemble runs with **randomly** chosen set of initial conditions.
 - + **Straightforward** to apply (largely used in CMIP5).
 - Could **underestimate** the uncertainty due to i.c.
- ▶ Exact: **Generalized Stability Analysis** (GSA identifies the most sensitive i.c.).
 - + **Identify the bound** of the uncertainty due to i.c. and so the predictability.
 - **Less straightforward** to apply, only few groups in the world use this method (especially in oceanography).
 - **Linear** framework.

GSA ref: Farrell and Ioannou (1996,II), Tziperman and Ioannou (2002)

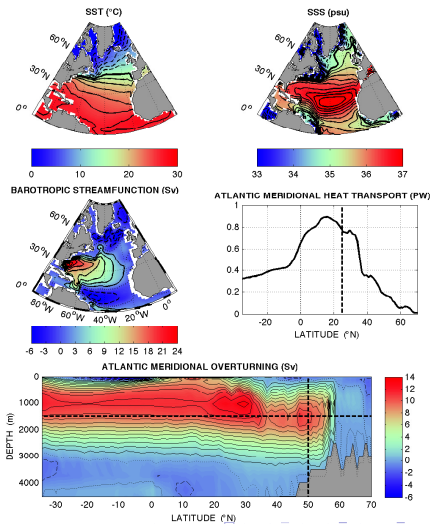
Ocean General Circulation Model: NEMO-OPA

- ▶ OPA 8.2: primitive equation model (Madec et al., 1997; ESOPA team)
- ▶ ORCA2: global configuration (Madec and Imbard, 1996)
- ▶ Resolution: 2° with 31 vertical levels
- ▶ OPATAM: linear and adjoint model (Weaver et al., 2003)

Linear Model BC:

- ▶ **MBC**, Flux Boundary Condition (Heat flux & Freshwater flux)
- ▶ **FBC**, Mixed Boundary Condition (Restoring SST & Freshwater flux)
- ▶ **Max AMOC = 13 Sv** (50°N , 1000 m)
- ▶ **Max MHT = 0.75 PW** (25°N)

⇒ **One of the models used in IPCC (AR5) Climate projection**



Measuring the North Atl. Climate

We choose two typical metrics:

1. The intensity of the Meridional Volume Transport (**MVT**):

$$\langle \mathbf{F} | \mathbf{U} \rangle = \int_{z_{\max(\overline{\text{MVT}})}^0} \int_{x_W}^{x_E} v |_{y_{\max(\overline{\text{MVT}})}} dx dz,$$

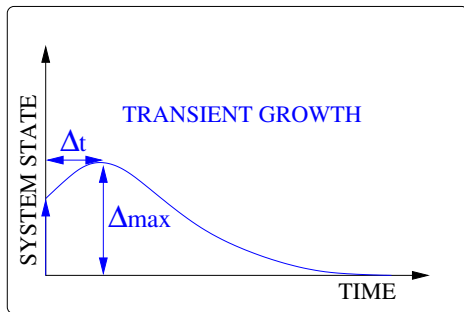
2. The Oceanic Heat Content (**OHC**):

$$\langle \mathbf{F} | \mathbf{U} \rangle = \frac{1}{V_{\text{NA}}} \iiint_{\text{NA}} T dv.$$

Comments: These two Climate metrics depend of time, to simplify the problem, we study only: $t = \text{December } 31^{\text{st}}$.

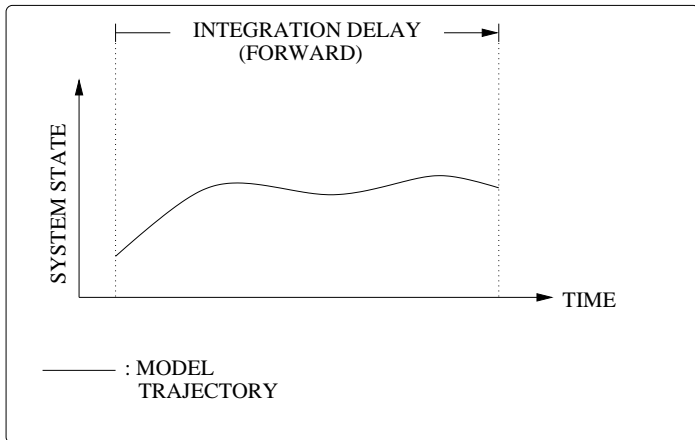
Optimal initial perturbation of the North Atl. Climate

"What perturbation to the initial condition (temporal Dirac) leads to the maximum change of the AMOC?"

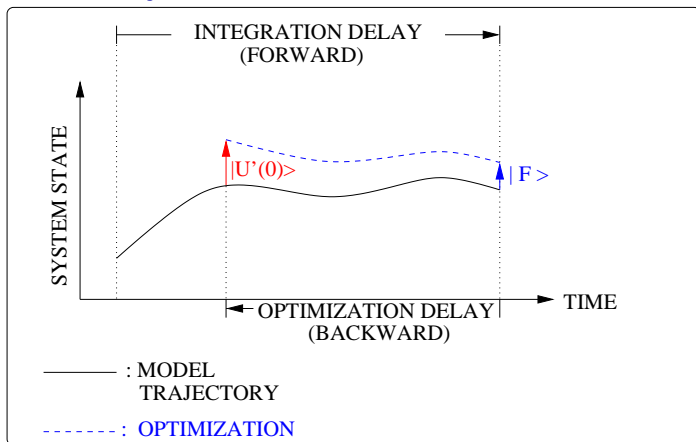


What is the most efficient structure (\uparrow) and delay (Δt), which lead to the maximum change (Δ_{max})?

Step of the study



Step of the study



Optimization using Lagrange multipliers:

$$\Rightarrow \text{Explicit Solution} = \text{fct}(\mathbf{M}^\dagger, \tau_{\text{opt}})$$

Optimal T-S initial perts

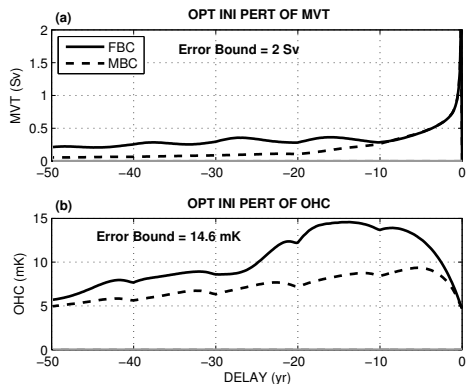
- ▶ MVT is most sensitive to "present" anomalies ($\tau_{opt}=0$ yr)
- ▶ OHC is most sensitive to "delayed" anomalies ($\tau_{opt}\simeq 14$ yr)

Error of 1 mK on initial condition leads to

- ▶ **118%** of relative error on MVT
- ▶ **31%** of relative error on OHC
(= Error Bound / std(MVT) from IPSL model)

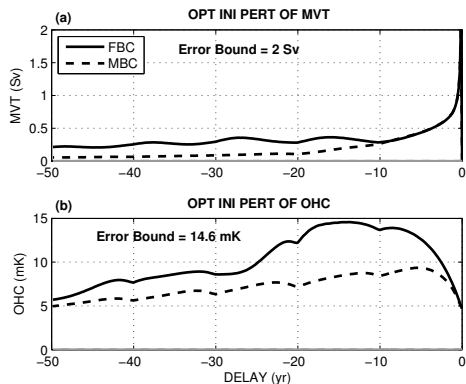
Relatively insensitive to BC (MBC \simeq FBC)

⇒ **Predictability depends on the way one measures the system**



Optimal T-S initial perts

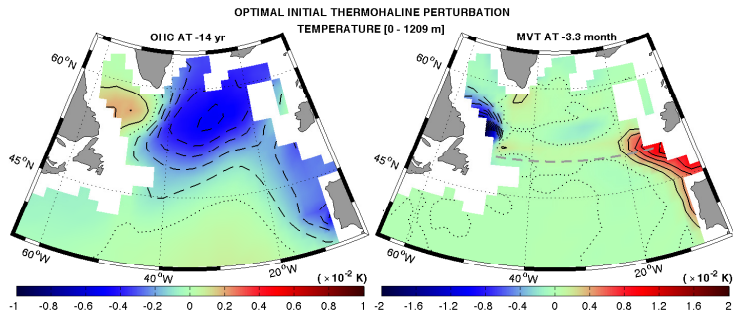
1. Why does some Climate metrics are the most sensitive to past disturbances?
2. Whereas others are the most sensitive to present disturbances?



⇒ **What is the spatial shape of the Linear Optimal Perturbations?**

Optimal T-S initial perts

The spatial scale of the most efficient disturbance seems crucial...

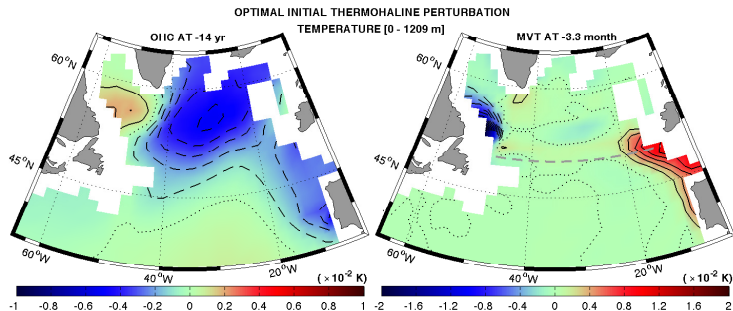


MVT instantaneous sensitivity
is associated to **small scale**

OHC delayed sensitivity is
associated to **large scale**

Optimal T-S initial perts

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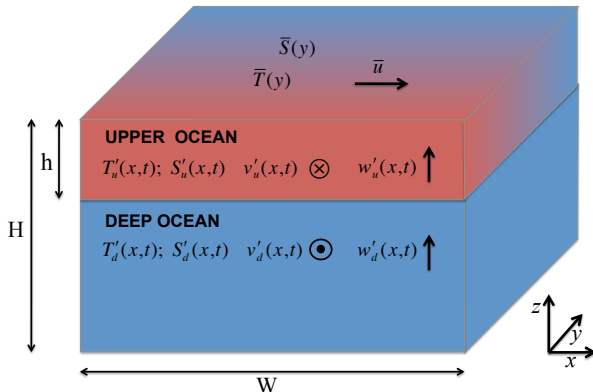
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⇒ **Let's investigate further with a spectral idealized model!**

A spectral idealized model: setting

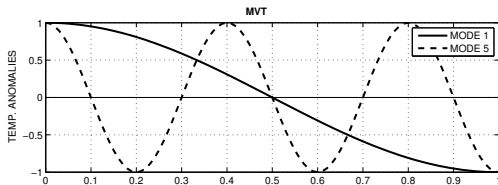
- ▶ Advection-diffusion of T & S + Geostrophic balance
 - ▶ Decomposition on zonal mode (Fourier series)
- (Sévellec and Fedorov, *J. Clim.* 2013)



A spectral idealized model: metric sensitivities

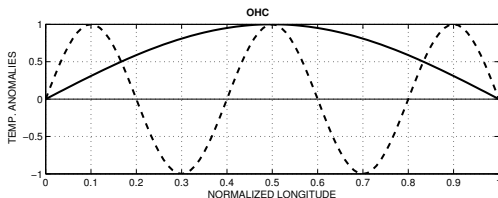
MVT has similar sensitivity to Mode 1 and Mode 5:

The sensitivity of MVT **does not change** with the scale of the anomalies



OHC is more sensitive to Mode 1 than Mode 5:

The sensitivity of OHC **change proportionally** with the scale of the anomalies

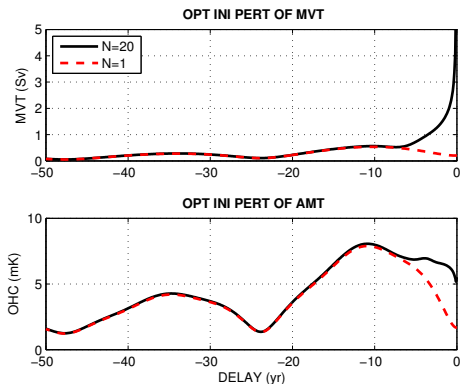


A spectral idealized model: results

Roughly speaking:

- ▶ $MVT \propto \partial_x T$
- ▶ $OHC \propto \int T dx$

So that **MVT** is a lot more **sensitive to smaller scale** than OHC, and transient growth are proportional to the scale.



⇒ **MVT optimal transient growth** → 0 (when $N \rightarrow \infty$).

Conclusion

▶ Results:

- ▶ Predictability depends on the metric:
MVT \neq OHC.
 \Rightarrow Initial error of 1 mK leads \sim std(IPSL).
 - ▶ MVT seems unpredictable
 - ▶ OHC has a predictability barrier at \sim 14 yr
- ▶ Climatically relevant metrics have higher predictability.
- ▶ We need accurate measurement in deep ocean to increase predictability!



▶ Future work:

- ▶ Role of the mean state (Alexey V. Fedorov & Les Muir)
- ▶ Role of the turbulence (Simon Müller *et al*, Meso-Clip)
- ▶ Role of the nonlinearity (Victor Estella Perez)
- ▶ Role of the coupling (Agathe Germe *et al*)

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Thank you for your attention!

